## Message Passing Model

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The parallel program consists of a collection of processes.
The model relies on two mechanisms:

- A method for creating separate processes on remote nodes.
- Single Program Multiple Data style. Single executable started statically at all processors. Control statements select different parts for each process to execute.
- Multiple Program Multiple Data style. Potentially separate programs for separate processors. Processes created from a main process: dynamic process creation.
- The ability to send and receive messages.


## Pseudo-code Convention

Synchronous send: waits until the complete message can be accepted by the receiving process before sending the message. Synchronous recv: wait until the message arrives.

- send(\&variable,..., $\mathrm{P}_{\text {pid }}$ ): Send one or more primitive variables or arrays to the processor numbered pid. The ampersand represents the "address-of" operator (like in C or a reference in Java).
- send(\&variable,...., $\mathrm{P}_{\text {pid }}$, TAG): Send one or more primitive variables or arrays to the processor numbered pid in an message with tag TAG.
- $\operatorname{recv}\left(\&\right.$ variable,..., $\mathrm{P}_{\text {pid }}$ ). Receive a message from the specified process into the specified variable.
- recv(\&variable,... , $\mathrm{P}_{\text {pid }}$, TAG). Receive a message from the specified process with the specified tag into the specified variable.
- Wild cards. Use $\mathrm{P}_{\text {ANY }}$ for any processors and ANY _TAG for any tag.


## Pseudo-code Convention (contd.)

Asynchronous sends and recvs: These primitives do not wait for the actions to complete before returning. Usually requires buffering by library and/or local Operating Systems for messages. Or buffering could be done in-place using the variables (then we cannot modify the variables used until the message has transferred).

- async_send(\&variable,..., $\mathrm{P}_{\text {pid }}$, TAG, \&request):

Start an asynchronous send. The request is filled in by an unique identifier.

- async_recv(\&variable,.... P pid , TAG, \&request): Attempt an asynchronous recv.
- async_wait(\&request): Wait for asynchronous request to finish.
- async_test(\&request): Test if asynchronous request has finished. Returns TRUE or FALSE.


## Pseudo-code Convention (contd.)

## Group operations

- bcast(\&variable,..., $\mathrm{P}_{\text {source }}$ ): Broadcast one or more primitive variables or arrays to all processes from the process $\mathrm{P}_{\text {source }}$. All processes call the bcast method.
- reduce(\&data, \&result, operation, $\mathrm{P}_{\text {dest }}$ ): Reduce the value of the variable data across all processes to a single value using the specified operation. All processes call this method. The operation must be commutative.
- scatter(\&srcArray, \&destVariable, $\mathrm{P}_{\text {source }}$ ): Scatter the ith element of the source array on the source process $\mathrm{P}_{\text {source }}$ to the $i$ th process. All processes call this method.
- gather(\&srcVariable, \&destArray, $\mathrm{P}_{\text {dest }}$ ): Gather the ith element of the destination array on the destination process $P_{\text {dest }}$ from the source variable on the $i$ th process. All processes call this method.

We will introduce more primitives later.

## Parallel Sum Example-code

- There are $p$ processes with process ids: $0 \leq$ pid $\leq p-1$.
- Assume that the $n$ elements are distributed across the $p$ processes evenly such that each process has $n / p$ elements.
- The sum is to be computed at process 0 .


## Parallel Sum Pseudo-code

parallel_sum(A, pid)
//p processes, process number pid is $0 \leq$ pid $\leq p-1$
//Input: $A[0 \ldots n / p]$ on each process
//Output: sum on process 0

1. sum $\leftarrow 0$
2. for $(\mathrm{i}=0 ; \mathrm{i}<\mathrm{n} / \mathrm{p} ; \mathrm{i}++$ )
3. do sum $\leftarrow$ sum $+A[i]$
4. if $(\operatorname{pid} \neq 0)$
5. $\operatorname{send}\left(\&\right.$ sum, \& pid, $\left.\mathrm{P}_{0}\right)$
6. else
7. partial_sums $[0] \leftarrow$ sum
8. for $(i=1 ; i<p ; i++)$
9. do $\operatorname{recv}\left(\& s u m, \&\right.$ source, $\mathrm{P}_{\mathrm{ANY}}$ )
10. partial_sums[source] $\leftarrow$ sum
11. sum $\leftarrow 0$
12. for $(\mathrm{i}=0 ; \mathrm{i}<\mathrm{p} ; \mathrm{i}++$ )
13. do sum $\leftarrow$ sum + partial_sums $[i]$
14. return sum

## Evaluating Parallel Programs

We need to estimate the computation time as well as the communication overhead.

$$
T_{p}(n)=t_{\text {comp }}(n)+t_{\text {comm }}(n)
$$

- Computational time: In general, this would be the longest computational time for the processes running the parallel program.
- Communication time: To send $n$ data words in one message, we will assume that the time taken is:

$$
t_{\text {startup }}+n \times t_{\text {data }}
$$

where $t_{\text {startup }}$ is time to send a message with no data and $t_{\text {data }}$ is the transmission time per data word. Both these are assumed constants.

## Parallel Sum Analysis with Communication Overhead

- Steps 1-3 are done by all processes and take $\Theta(n / p)$ computation time.
- Steps $4-10$ involve $p-1$ processes sending partial sums to process 0. There are $p$ separate messages with one data word each. Thus the communication time is:

$$
\Theta\left(p t_{\text {startup }}+p t_{d a t a}\right)
$$

- Process 0 adds the partial sums up in Steps 11-13. This takes $\Theta(p)$ computation time.

Thus, the total time is:

$$
\begin{gathered}
\Theta\left(n / p+p+p t_{\text {startup }}+p t_{d a t a}\right) \\
=\Theta\left(n / p+p\left(1+t_{\text {startup }}+t_{\text {data }}\right)\right) \\
=\Theta(n / p+p)
\end{gathered}
$$

In this case, the startup time didn't make a significant difference but in some cases it does. Practically speaking, the startup time does cause overhead so sending fewer, larger messages will give faster times and better efficiency.

## NetPipe 3.7.2 Benchmark Details

What does the startup overhead look like in real life?

- The tests were done on two nodes of the onyx cluster. Each node has one Gigabit Ethernet PCI Express network card and has a quad-core Intel 64-bit i5 3.1 GHz processor, 8 GB RAM and running 3.15.8-200.fc20.x86_64 Fedora Linux kernel. The version of the gcc compiler used was 4.8.3 20140624.

| Test | startup time | data time |
| ---: | ---: | :---: |
| TCP | 78 usec | 0.001127 usec $(887 \mathrm{MBits} / \mathrm{sec})$ |

- Note that we can send around 80,000 data words in one startup time!
- The commands that were used are shown below.
(on node01) NPtcp -h node02 -I -b 262144
(on node02) NPtcp -I -b 262144


## Exercises

1. Write pseudo-code for the unordered search problem in parallel. Use the following function prototype:
parallel_search(A, pid)
//p processes, process number pid is $0 \leq$ pid $\leq p-1$
//Input: $A[0 \ldots n / p]$ on each process (unsorted)
//Output: (pid,index) if found, otherwise -1
2. Write pseudo-code for two processes that play ping pong with a message!
3. Write pseudo-code for a a set of processes that pass a message around in a ring forever.
